

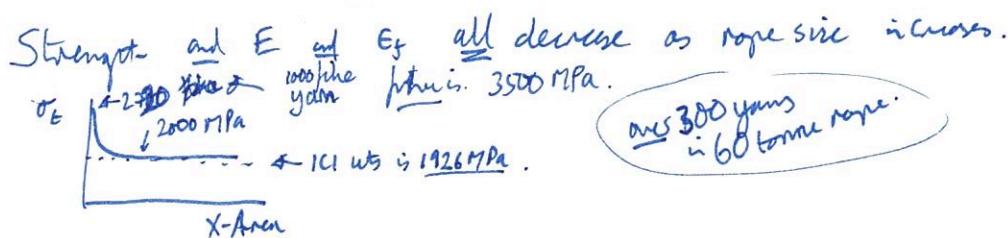
Predicting Properties of Ropes from Yarns

10 NOV. 1989.
P.SARGENT.

Variability & Viscoelasticity of aramid ropes (parafil = ~~Kevlar~~ Kevlar⁴⁹) ^{creep.}

little or no twist of fibres in yarns. \exists an optimum twist because broken fibres can still carry load $E(t, \sigma) = \alpha(\sigma) + \beta(\sigma) \cdot f(t)$
 No twist of yarns in ropes. $\approx 7^\circ/\text{metre}$. $t=0$ response

Type (S) $\left. \begin{array}{l} \text{A} \\ \text{F} \\ \text{Terylene} \\ \text{Kevlar 29} \\ \text{Kevlar 49} \end{array} \right\}$ 3 types of parafil.
 high stress, high modulus, low屈 breaking strain.

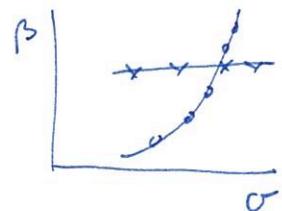


$$f(t) = t^n$$

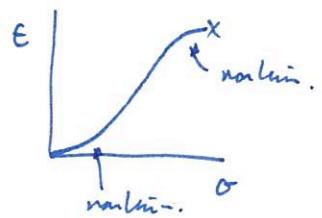
$$\approx \lg(a+bt)$$

is $\beta(\sigma) = K \cdot \sigma$?

conflicting report!!



N.B.
ropes are prestressed.



$$\sigma(t) = E_0 \cdot L(t)$$

$$E(t) = \sigma_0 f(t)$$

& relate $L(t)$ to t .

\Rightarrow all curves collapse

of E vs t .

Better to use $\dot{\epsilon}(t)$ to

assume $A_i, b_i, E_{f,i}$
 are independent distributions.

But fibres are independent.

$$F_i(t) = R$$

bundle stress function:

$$S_n(t) = \frac{1}{n} \sum_i^n \sigma_i(t)$$

$$\underline{\underline{\sigma(t)}} = E[\sigma_i(t)] \quad \text{mean effective stress of fibre bundle.}$$

just like Phoenix except for a non-linear σ/E curve.

variation in yarn area! (expt.)

stiffness $\not\propto$ constant \rightarrow load sharing shift as fibres break
 \hookrightarrow non-linear stiffness.

inc. slack.

$$\sigma_i(\epsilon) = \begin{cases} f(\epsilon, A_i, b_i) & \epsilon < \epsilon_{f,i} \\ 0 & \epsilon > \epsilon_{f,i} \end{cases}$$

assume $A_i, b_i, E_{f,i}$

are independent distributions.